



PORE-LEVEL BÉNARD-MARANGONI CONVECTION IN MICROGRAVITY

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OVERVIEW

- Thermal operations
- Pore-level simulation approaches
- Bénard-Marangoni
- Case study
 - Governing equations
 - Invasion process
 - Results
- Conclusions



THERMAL OPERATIONS

Pore-level displacements during thermal operations is a complex and multi-scale phenomenon:

- The gravity drainage is the main macroscale depletion mechanism.
- The surface tension-related phenomena are dominant in intra-granular micropores.



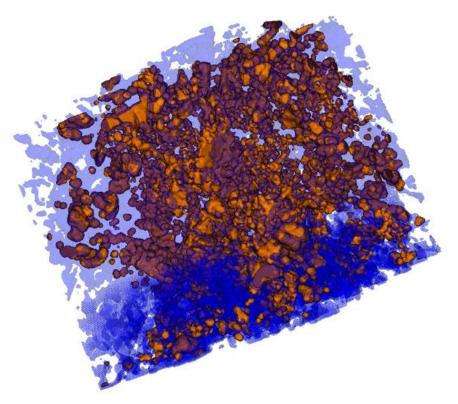
PORE-LEVEL SIMULATIONS

Direct:

- Dynamic CFD-Based Approaches
- Lattice-Boltzmann(LB)
- Pore morphology-based Techniques

Simplified:

Pore-Network Modeling (PNM)





Volume fraction distribution in a 3D medium applying pore morphology-based technique

BÉNARD-MARANGONI

- The Marangoni effect is the mass transfer along the interface between two fluids due to surface tension gradient.
- In the case of temperature dependence, this phenomenon is called **thermo-capillary/Bénard-Marangoni convection**.
- Here, the effect of thermally induced interfacial tension gradient fluxes on the amount of residual oil saturation is investigated in a microgravity environment.



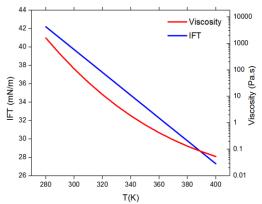
CASE STUDY

Boundary conditions

- •The pressure difference is constant and equal to 30 Pa.
- •The hot fluid temperature is variable between 300 to 400 K
- •Oil can be produced via films or bulk flow.
- •The solid phase is oil-wet.

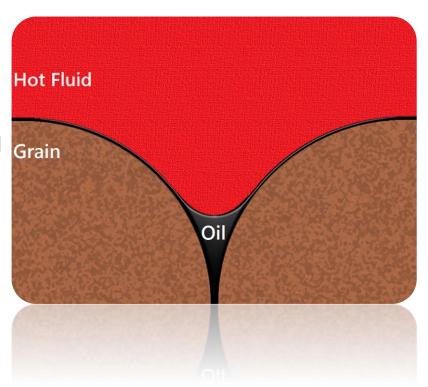
Initial conditions

- •The temperature of the whole system is 300K.
- •The medium is initially filled by oil.
- •Density, heat capacity and thermal conductivity of oil are assumed equal to 930 kg/m3, 2000 J/kg.K and 1.1 W/m.K, respectively.
- •Hot fluid properties are same as water/steam properties.

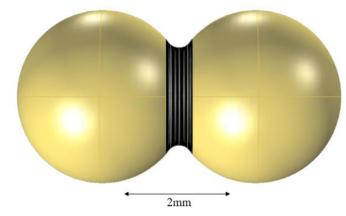


IFT and viscosity of oil phase





GOVERNING EQUATIONS



Schematic of the case study

•
$$\rho \frac{\delta u}{\delta t} + \rho(u.\nabla)u = \nabla \cdot [-p + \rho(\nabla u + (\nabla u)^T] + \rho g + F_{st} + F$$

•
$$\nabla u = 0$$

•
$$\frac{\delta\phi}{\delta t} + u.\nabla\phi = \gamma\nabla.\left(\varepsilon_{ls}\nabla\phi - \phi(1-\phi)\frac{\nabla\phi}{|\nabla\phi|}\right)$$

•
$$\rho C_p \frac{\delta T}{\delta t} + \rho C_p u \cdot \nabla T + \nabla \cdot q = Q + q_o + Q_p + Q_{vd}$$

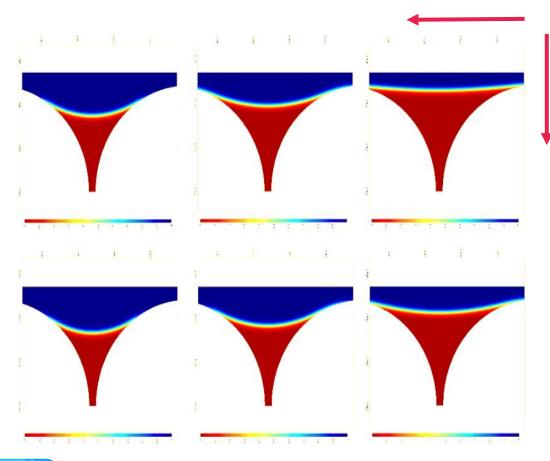
•
$$q = -k\nabla T$$

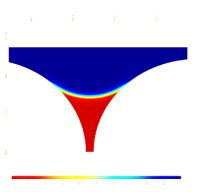
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Assumptions

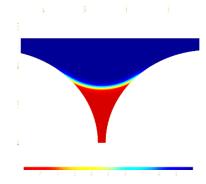
- There are three phases: oil, hot fluid (water or steam) and solid.
- The solid phase is strongly oil-wet.
- Fluids are compressible and immiscible.
- Heat transfer happens in both solid and fluid phases.
- Navier-Stokes and energy equations are solved, simultaneously.
- The process is non-isothermal.
- Surface tension and viscosity are temperaturedependent variables.
- Phase change is not taken into the account.
- Gravity effect is negligible; microgravity.

INVASION PROCESS





Isothermal process

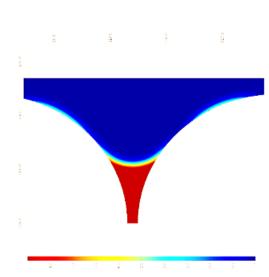


Variable viscosity

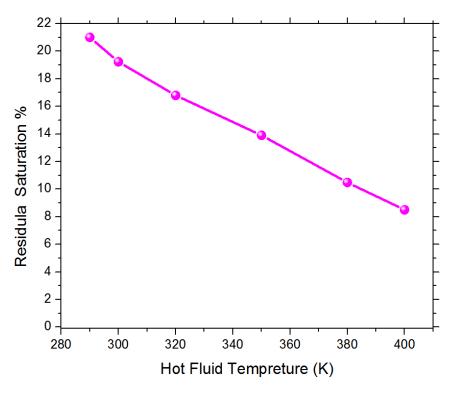


Residual oil at equilibrium condition

VARIABLE SURFACE TENSION AND VISCOSITY



2D demonstration of residual oil at equilibrium condition (S_{or} =10.2%)



Residual saturation versus hot fluid temperature



CONCLUSIONS

- A multidisciplinary study was conducted to investigate the effect of temperature on pore-level capillary dominant displacements.
- The effect of thermally induced thermocapillary convection on the amount of residual oil saturation was studied using an oil-wet single pore geometry.
- Results demonstrate that in thermal-based EOR operations, the temperature rise can profoundly change the surface tension in micro-pores and decrease the residual saturation.
- As the viscous and gravity forces are the main production mechanisms in macro-pores, the surface tension gradient is one of the important phenomena in micro-pores affecting fluid-fluid interface equilibriums.



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