# Effect of Parallel Strip Water Sources Spacing On Lateral Infiltration Flux

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## OVERVIEW

- Introduction
- Previous research review
  - Vertical vs. vertical and lateral infiltration
- Formulation of the problem for numerical solution
- Edge effect in parallel water wources
  - Steady state flow
  - Transient flow (not shown)
- Conclusions

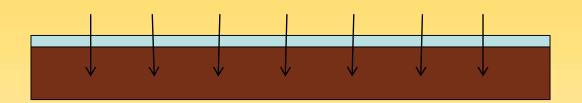




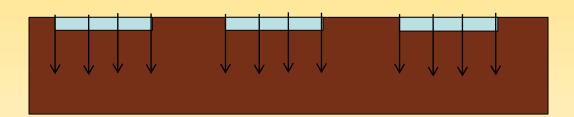




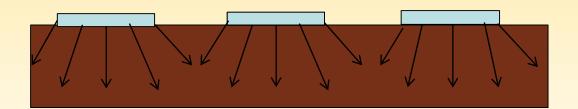
## INFILTRATION WITH PARTIAL SURFACE COVERAGE OF WATER







Concentrated flow 1D-vertical infiltration



A lot better assumption

Concentrated flow Vertical and lateral infiltration

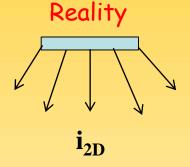
Even better

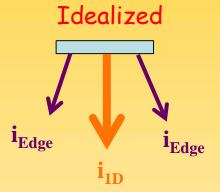




### VERTICAL AND LATERAL FLOW

$$\mathbf{i_{2D}} = \mathbf{i_{1D}} + \mathbf{i_{Edge}}$$





 $i_{1D}$  is the term for vertical flow  $i_{Edge} = \gamma i_{Hariz}$ ; term for capillary-driven lateral flow

- $\gamma$  is a function of strip spacing, soil texture and time
- The challenge is to determine  $\gamma$
- We should be able to do this with numerical simulation of the Richards equation

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i<sub>Horiz</sub>

## Numerical modeling

Simulations of two-dimensional infiltration based on numerical solution of the Richards within the porous media module of COMSOL\_MP.

#### Governing equation:

$$\frac{\partial}{\partial t} (\epsilon_p \rho) + \nabla \cdot (\rho \mathbf{u}) = Q_m$$
$$\mathbf{u} = -\frac{k}{\mu} (\nabla p + \rho g \nabla D)$$

subject to:  $p(x, y, t = 0) = p_0$ 

Initial condition

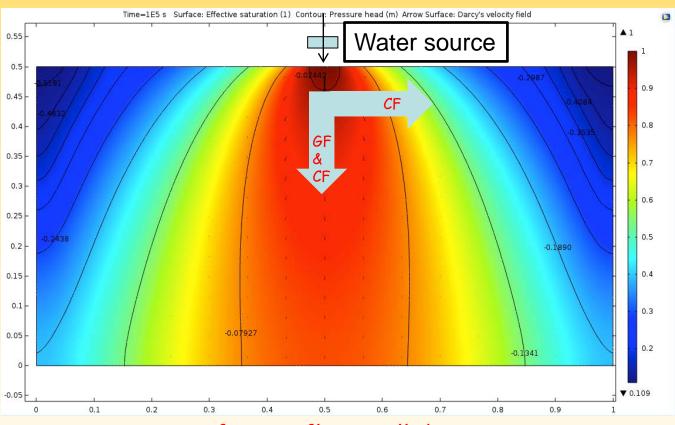
$$\frac{\partial}{\partial n}(p + \rho g D) = 0$$

$$p = 0$$

$$\frac{\partial p}{\partial n} = 0$$

### VERTICAL AND LATERAL INFILTRATION

#### At Steady State

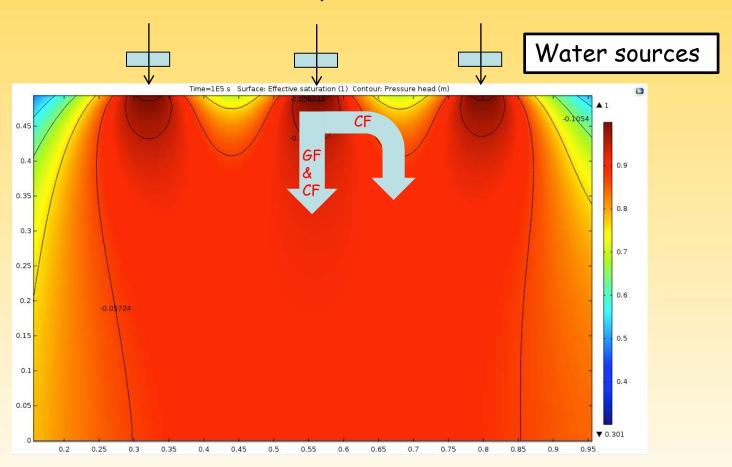


Water free to flow in all directons





At Steady State

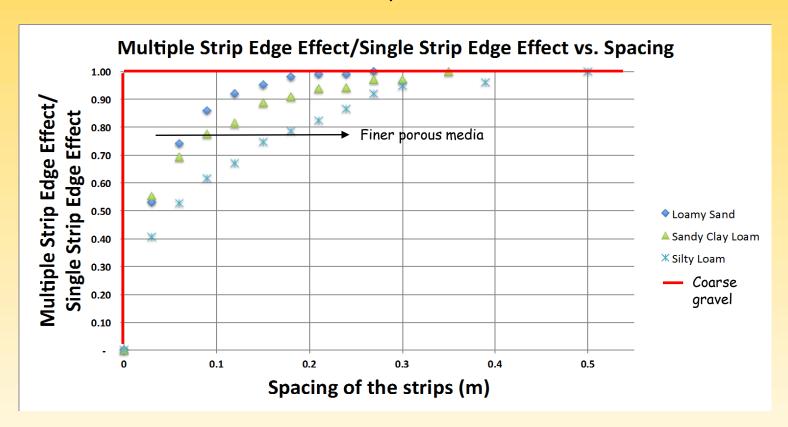


Water flow confined due to neighboring strip sources (reduces  $\gamma$ )

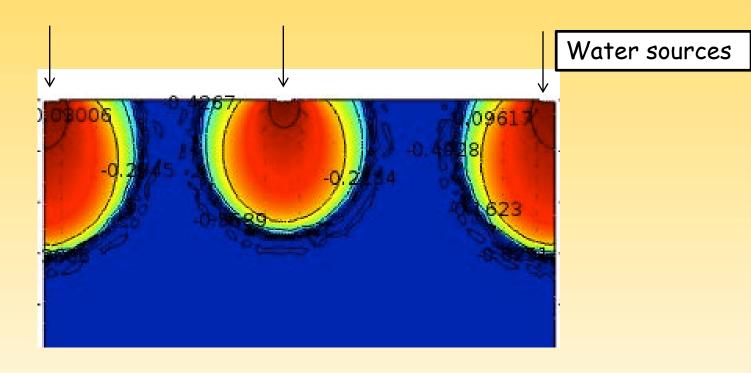




At Steady State



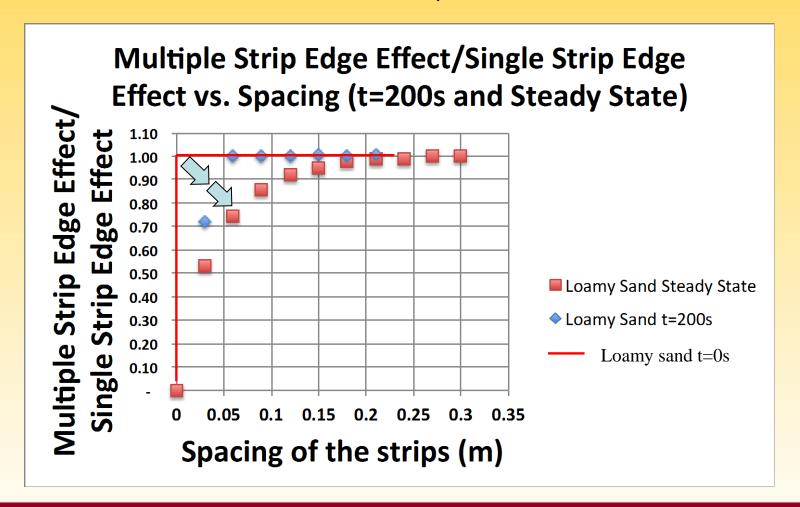
Transient flow







Transient flow



## CONCLUSIONS

- The calculation of infiltration from parallel strip water sources depends on:
  - Width of the strip
  - Texture of the porous media
  - Initial moisture content
  - Strip spacing
  - Time (not shown)
- The calculation of infiltration from parallel strip sources can be approximated by using a 1-D approximation with a shape factor  $(\gamma)$  to account for the enhancement of infiltration introduced by the actual 2-D flow. The value of  $\gamma$  can be quantified with numerical solutions to the Richards equation.

## Questions?



